

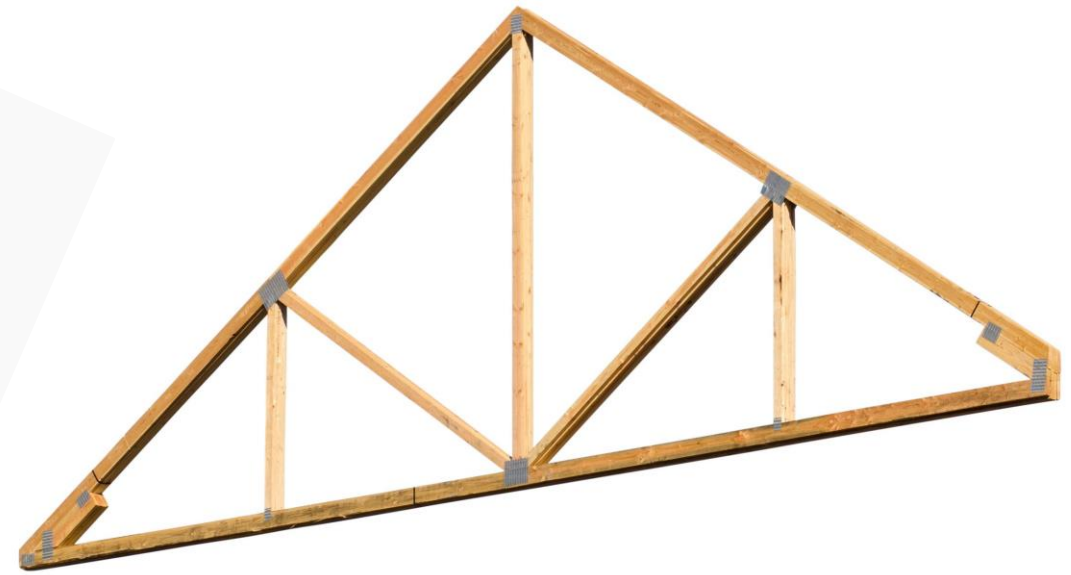
# كلية المستقبل الجامعة

قسم هندسة تقنيات  
الأجهزة الطبية



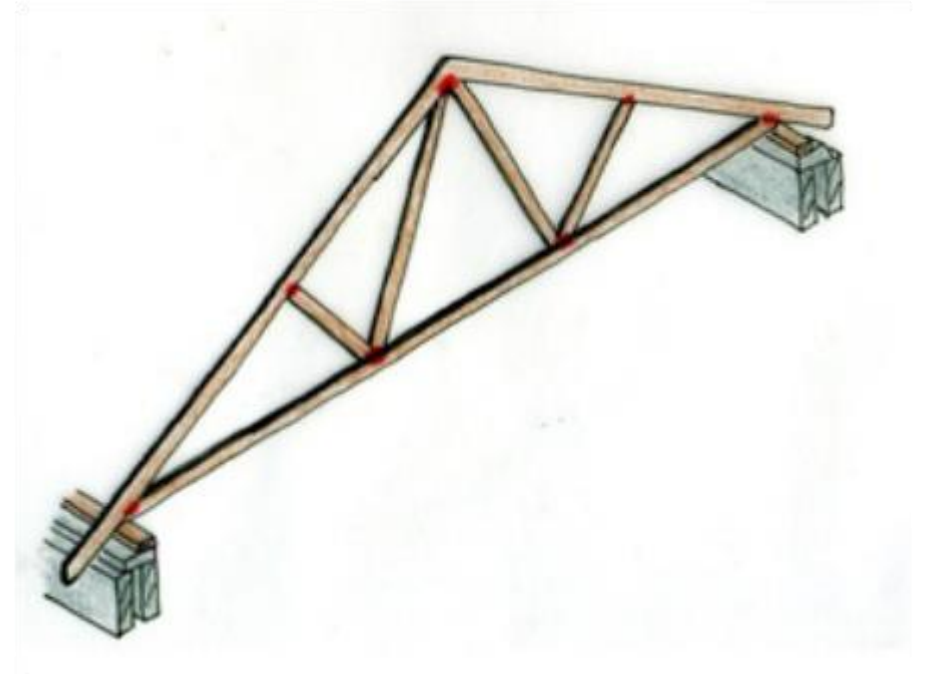
المحاضرة رقم /9  
مادة الميكانيك / المرحلة الأولى  
م.م. ميس خالد محمد

# TRUSS ANALYSIS

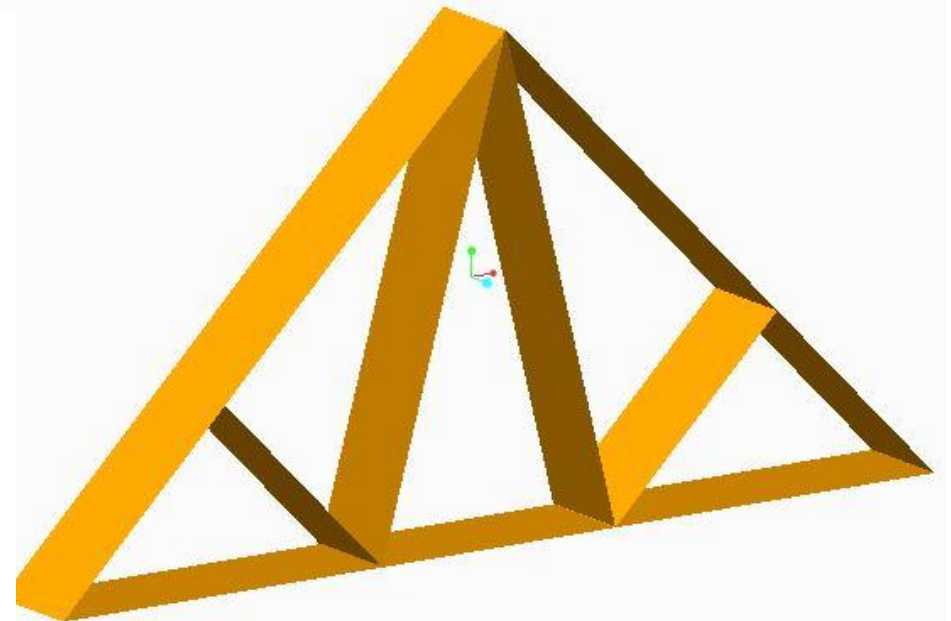
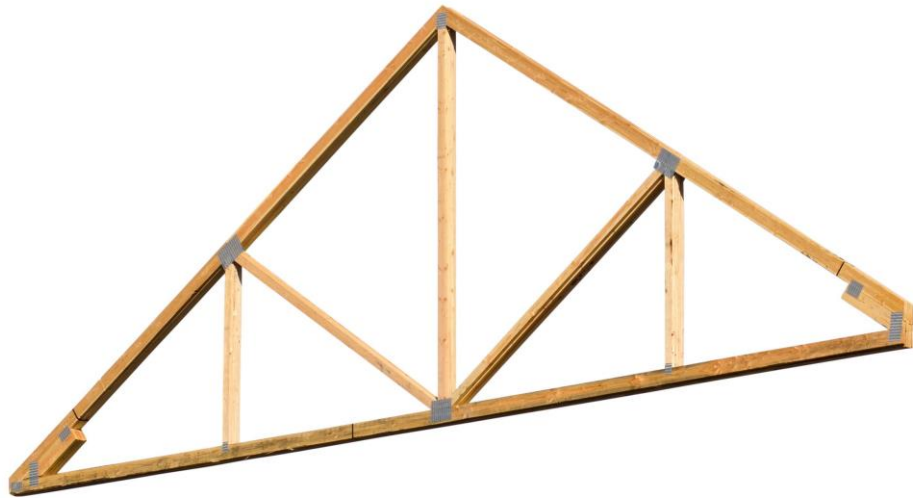


# Introduction

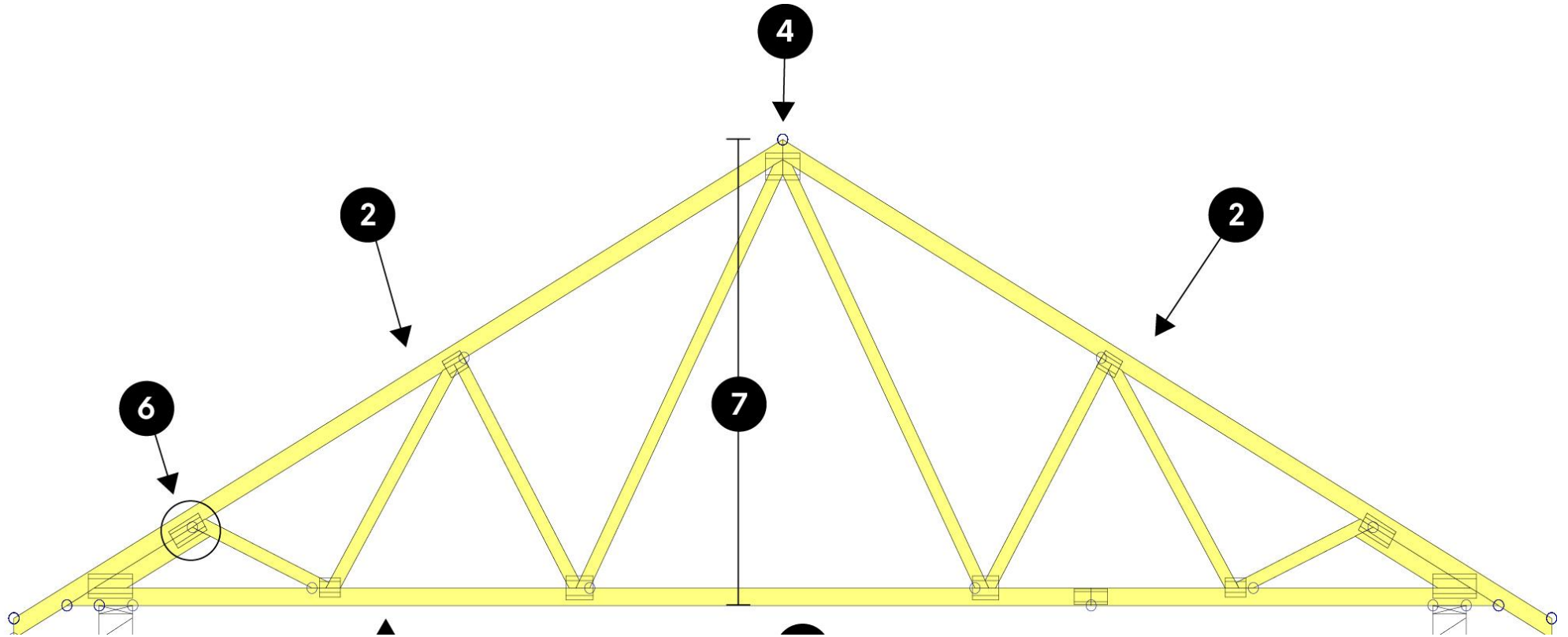
- A truss is a structure that consists of members organized into connected triangles so that the overall assembly behaves as a single object. Trusses are most commonly used in bridges, roofs and towers.



- A truss is made up of a web of **triangles** joined together to enable the even **distribution of weight and the handling of changing tension and compression without bending or shearing**. The triangle is **geometrically stable** when compared to a four (or more) -sided shape which requires that the corner joints are fixed to prevent shearing.



- Trusses consist of triangular units constructed with straight members. **The ends** of these members are **connected** at **joints**, known as nodes. They are able to carry significant loads, transferring them to supporting structures such as load-bearing beams, walls or the ground.





# *Truss – Assumptions*

There are four main assumptions made in the analysis of truss

- 1 Truss members are connected together at their ends only.
- 2 Truss are connected together by frictionless pins.
- 3 The truss structure is loaded only at the joints.
- 4 The weights of the members may be neglected.

# Truss examples









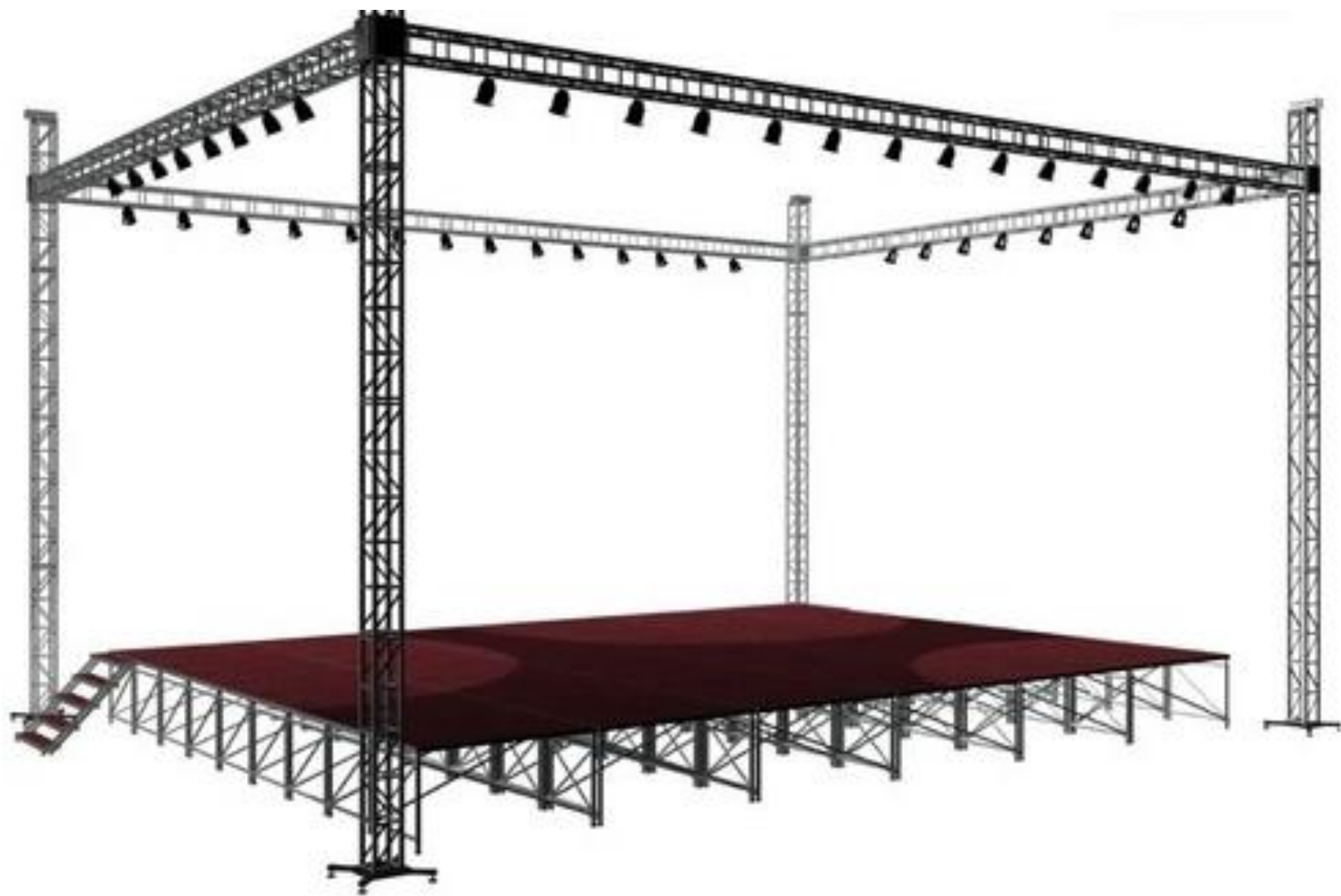














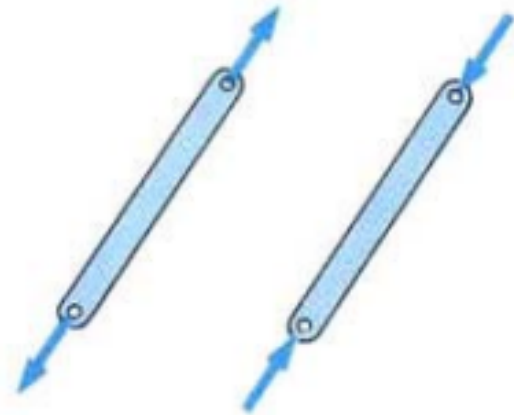
# *Method of Joints - Truss*

The method of joints uses the summation of forces at a joint to solve the force in the members. It does not use the moment equilibrium equation to solve the problem. In a two dimensional set of equations,

$$\sum F_x = 0 \quad \sum F_y = 0$$

In three dimensions,

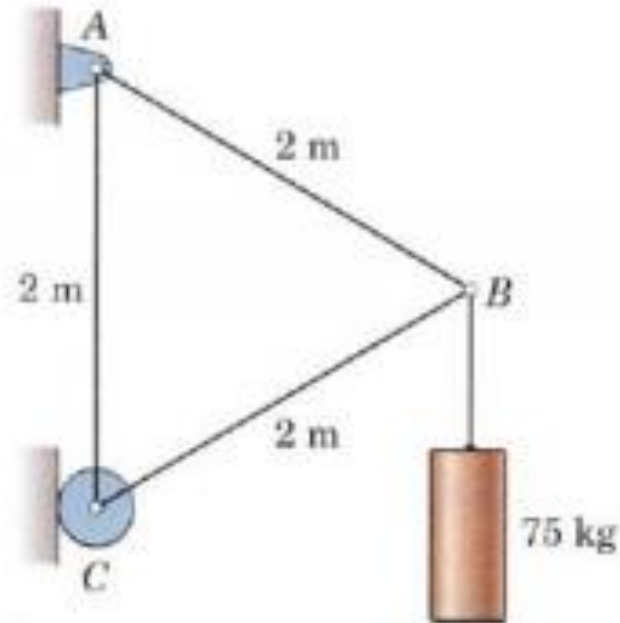
$$\sum F_z = 0$$





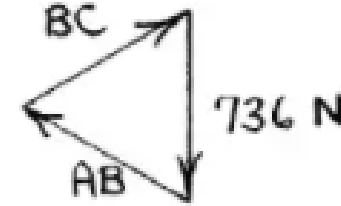
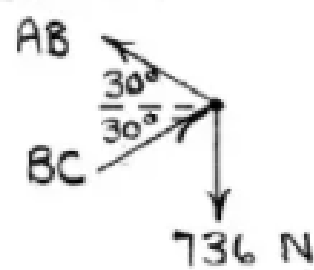
Determine the force in each member of the simple equilateral truss.

Ans.  $AB = 736 \text{ N T}$ ,  $AC = 368 \text{ N T}$ ,  $BC = 736 \text{ N C}$



4/1 | Load =  $75(9.81) = 736 \text{ N}$

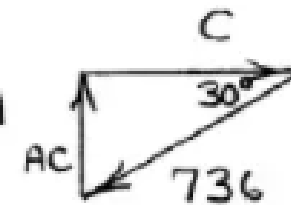
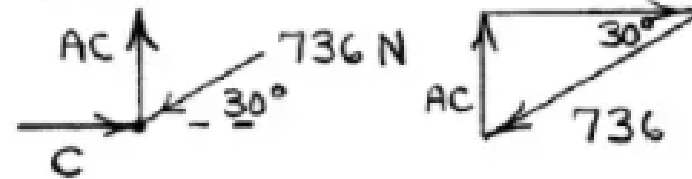
Joint B:



$AB = 736 \text{ N T}$

$BC = 736 \text{ N C}$

Joint C:



$AC = 736 \left(\frac{1}{2}\right)$   
 $= \underline{368 \text{ N T}}$