#### ALMUSTAQBAL UNIVERSITY COLLEGE Iraq - Babylon



#### **RENEWABLE ENERGY TECHNOLOGY**

Sustainable Path For a Carbon Free Future

Refrigeration and Air conditioning Techniques Engineering Department

> Subject : Renewable Energy Grade: 4<sup>th</sup> Class

## Lecture :3

## Dr. Eng. Azher M.Abed E-email : azhermuhson@gmail.com

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## Sun – Earth Relationships



93 million miles, average (1.5 x 10<sup>8</sup> km)



1 Astronomical Unit (Distance traveled in 8.31 minutes at the Speed of Light)

#### Sun:

Diameter: 865,000 miles (1,392,000 km, 109 times earth) Mass: 2 x 10<sup>30</sup> kg (330,000 times earth) Density: 1.41 g/cm<sup>3</sup> Gravity: 274 m/s<sup>2</sup> (28 g)

Surface Temperature: 10,000 F (5800 K)

#### Earth:

Diameter: 7,930 miles (12,756 km) Mass: 5.97 x 10<sup>24</sup> kg Density: 5.52 kg/cm<sup>3</sup> Gravity: 9.81 m/s<sup>2</sup> (1 g)

Typical Surface Temperature: 68 F (300K)

Earth's Orbit Around Sun: 1 year Earth's Rotation about its Polar Axis: 1 day



# 2- Solar Radiation Analysis

#### 2.1 The Main Parameters of the Sun



Distance between the sun and earth



# 2- Solar Radiation Analysis

The erath's orbit around the sun

 $r = \frac{a(1-\epsilon^2)}{1+\epsilon \cos\theta}$ 

- a : average orbit distance = 1.5 \* 10^8 km ;
- $\epsilon$  : Eccentricity= 0.01673

 $\theta$ : is equal to the No. of the day at year and can by calculate accordant to table 1:

Eccentricity: deviation of a curve or orbit from circularity

The apparent solar radiation values

$$I_{0} = I_{SC} \left[ 1 + 0.033 \cos \left( \frac{N}{365} \times 360^{\circ} \right) \right]$$
  
solar constant,  $I_{SC} = 429.5$  Btu/hr·ft<sup>2</sup> (1353 W/m<sup>2</sup>).



Fig. 2.1 Distance between the sun and arity the earth

# **Solar Emission Spectrum**

total power of solar emission by :

Po= As\* Fo

The **solar constant** *Isc* is the energy from the sun per unit time received on a unit area of surface perpendicular to the direction of propagation of the radiation at mean earth-sun distance outside the atmosphere.

$$\operatorname{Isc} = \frac{Po}{4 \pi r^2} = \frac{As * Fo}{4 \pi r^2} = \frac{\sigma^* T^4 * 4 \pi r_{\theta^2}}{4 \pi r^2}$$



 $\varphi$  Latitude is the angle measured at the centre of the Earth, between the Equator plane and where you are. It is expressed either north or south, and varies .;  $-90^{\circ} \le \varphi$  $\le 90^{\circ}$ .  $\delta$  Declination; is the angle

made between the plane of the equator and the line joining the two centers of the earth and the sun:  $-23.45 \le \delta$  $\le 23.45 \le$ . The position of a point P on the earth's surface with respect on the sun's rays is known at any instant if the latitude ( $\phi$ ) and hour angle ( $\omega$ ) for the point, and the sun's declination ( $\delta$ ) are known.







Variation of the hour angle



As shown in Figure, the hour angle is the angular distance between the meridian of the observer and the meridian whose plane contains the sun.



#### 2.2 Basic Earth Sun Angles





Since the Earth rotates at 360  $\circ$  /24h=15  $\circ$  h-1, the hour angle is given by

$$\omega = (15^{\circ} h^{-1})(t_{solar} - 12 h)$$
(3.3)  
=  $(15^{\circ} h^{-1})(t_{zone} - 12 h) + \omega_{eq} -$ 

where  $t_{solar}$  and  $t_{zone}$  are respectively the local solar and civil times (measured in hours), zone is the longitude where the Sun is overhead when  $t_{zone}$  is noon (i.e. where solar time and civil time coincide).  $\omega$  is positive in the evening and negative in the morning. The small correction term  $\omega_{eq}$  is called the equation of time; it never exceeds 15 min and can be neglected for most purposes





 $\delta$  varies smoothly from +  $\delta_0$  =+23.45° at midsummer in the northern hemisphere, to -  $\delta_0$  =-23.45° at northern midwinter. Analytically,

$$\delta = 23.45^{\circ} \sin\left[\frac{360}{365}(284+n)\right]$$
(3.4)

n: is the day of the year;  $1 \le n \le 365$ 







Table (1): Day number and recommended average day for each month

Month	Day number	Average day of the month	
		Date	N
January	i	17	17
February	31 + i	16	47
March	59 + i	16	75
April	90 + i	15	105
May	120 + i	15	135
June	151 + i	11	162
July	181 + i	17	198
August	212 + i	16	228
September	243 + i	15	258
October	273 + i	15	288
November	304 + i	14	318
December	334 + i	10	344



## **2.3 Determination of Solar Time**

Greenwich meridian (zero

reference for the time and

night is known as universal

time or Greenwich civil time

(GCT or GMT). Such time is

expressed on an hour scale

time reckoned from mid

longitude) is taken as

from  $0_h$  to  $24_h$ .

North Pole  $\phi = 90^{\circ}$ Greenwich  $\lambda = 0^{\circ}$ El Paso, TX  $\phi = 31.8^{\circ} \text{ N}$  $\lambda = 106.4^{\circ} \text{W}$ Equator  $\phi = 0^{\circ}$ Lines of constant latitude Lines of constant longitude

## The solar time

**Solar Time :** Time based on the apparent angular motion of the sun across the sky with solar noon the time the sun crosses the meridian of the observer

Solar time – standard time =  $4(L_{st} - L_{loc}) + E$  (3.2)

where  $L_{st}$  is the standard meridian for the local time zone,  $L_{loc}$  is the longitude of the location in question, and longitudes are in degrees west, that is, 0 < L < 360

where *E* is the equation of the time and can express by :

 $E = 229.2(0.000075 + 0.001868) \cos B - 0.032077 \sin B$ 

 $-0.014615 \cos 2B - 0.04089 \sin 2B$ )

where *B* is

 $\underline{\mathbf{B}} = \frac{360}{364} (n - 81) \qquad \mathbf{n}: \text{ is the day of the year}$ 



الوقت الذي يقاس من قبل الحركة اليومية الظاهرة من الشمس

## The solar time



#### Example 1

At Madison, Wisconsin, what is the solar time corresponding to 10:30 AM central time

on February 3?

#### Solution

In Madison, where the longitude is 89.4 and the standard meridian is 90,

Solar time = standard time + 4(90 - 89.4) + E= standard time + 2.4 + E

On February 3, n = 34, and from Equation 3.2, E = -13.5 min, so the correction to standard time is -11 min. Thus 10:30 AM Central Standard Time is 10:19 AM solar time.



# The solar time Example 2

Find Eastern daylight Time for solar noon in Boston (Longitude 71.1° w) on July 1st?

Solution July 1<sup>st</sup>, is day number n= 182 to adjust for local time, we obtain :

B= 360/364(182-81) 99.89°

 $E = 229.2 (0.000075 + 0.001868 \cos(99.89) - 0.032077 \sin(99.89) - 0.014615 \cos(2*99.89) - 0.04089 \sin) = -3.5$ 

For Boston at longitude 71.7° w in the Eastern Time Zone with time maridian 75°.

Solar time – standard time =  $4(L_{st} - L_{loc}) + E$ 

To adjust for daylight savings time add 1 h, so solar noon will be about 12.48 p.m

12- standard time = 4(75- 71.1 °) + (-3.5) = 12:00 – 12.1 min = 11:47.9 A.M East



# References



1- J. Twidell. and T. Weir "Renewable Energy Resources " Taylor and Francis Group, 2006.

2- J. A. Duffie and W. A. Beckman" Solar Engineering of Thermal Processes" John Wiley & Sons, Inc., Hoboken, New Jersey, 2013.



# Do You Have Any Questions?



Solar Direct - Solutions that make life green!