

Half-wave  
Rectifier with  
no filter

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$$V_{L\text{mean}} = \frac{V_{\text{max}}}{\pi}$$

$$I_{L\text{mean}} = \frac{V_{L\text{mean}}}{R_L}$$

$$V_{o\text{rms}} = \frac{V_{\text{max}}}{2}$$

$$i_{o\text{rms}} = \frac{V_{o\text{rms}}}{R_L}$$

$$\text{Form Factor (FF)} = \frac{V_{o\text{rms}}}{V_{L\text{mean}}}$$

$$\text{Ripple Factor (RF)} = \sqrt{\frac{V_{o\text{rms}}^2 - V_{L\text{mean}}^2}{V_{L\text{mean}}^2}}$$

$$\text{Rectification Efficiency} = \frac{I_{L\text{mean}} V_{L\text{mean}}}{i_{o\text{rms}} V_{o\text{rms}}}$$

Full-wave  
Rectifier with  
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$$V_{L\text{mean}} = \frac{2V_{\text{max}}}{\pi}$$

$$I_{L\text{mean}} = \frac{V_{L\text{mean}}}{R_L}$$

$$V_{o\text{rms}} = \frac{V_{\text{max}}}{\sqrt{2}}$$

$$i_{o\text{rms}} = \frac{V_{o\text{rms}}}{R_L}$$

$$\text{FF} = \frac{V_{o\text{rms}}}{V_{L\text{mean}}}$$

$$\text{RF} = \sqrt{\frac{V_{o\text{rms}}^2 - V_{L\text{mean}}^2}{V_{L\text{mean}}^2}}$$

$$\text{Rectification Efficiency} = \frac{I_{L\text{mean}} V_{L\text{mean}}}{i_{o\text{rms}} V_{o\text{rms}}}$$

Half-wave Rectifier  
with Filter

$$V_r = \frac{V_{dc}}{1.25 R_L C F}$$

$$V_{dc} = \frac{V_{max}}{1 + \frac{1}{2.5 R_L C F}}$$

$$V_{rms} = \frac{V_{r(pp)}}{2\sqrt{3}}$$

$$\text{Ripple Factor (r)} = \frac{1}{2.5\sqrt{3} R_L C F}$$

Full-wave Rectifier  
with Filter

$$V_r = \frac{V_{dc}}{2 R_L C F}$$

$$V_{dc} = \frac{V_{max}}{1 + \frac{1}{4 R_L C F}}$$

$$V_{rms} = \frac{V_{r(pp)}}{2\sqrt{3}}$$

$$\text{Ripple Factor (r)} = \frac{1}{4\sqrt{3} R_L C F}$$

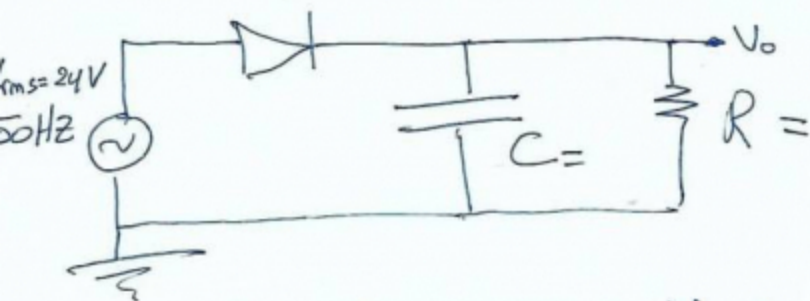
# Medical Electronic Systems:

## Tutorials 1

①

### Tut\_01 (EX2 (H.w)): P.7 Module 3

For the half-wave rectifier circuit shown in figure, change  $C$  to  $200 \mu\text{F}$  and load resistor  $R$  to  $500 \Omega$ , and determine  $V_{dc}$ ,  $V_{r(p.p)}$ ,  $V_{r(p)}$  and ripple factor ( $r$ ).



$$V_{dc} = \frac{V_{max}}{1 + \frac{1}{2.5 R C F}}$$

$$\begin{aligned} V_{max} &= \sqrt{2} V_{rms} \\ &= 1.414 (24V) \\ &= 33.94V \end{aligned}$$

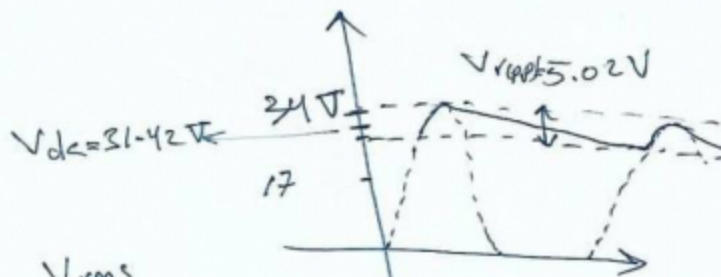
$$V_{dc} = \frac{33.94V}{1 + \frac{1}{2.5 \times (500\Omega) \times (200 \times 10^{-6}F) \times (50\text{Hz})}}$$

$$V_{dc} = \frac{33.94V}{1 + \frac{1}{12.5}} = 31.42V$$

$$V_r (p.p) = \frac{V_{dc}}{1.25 R C F} = \frac{31.42V}{1.2 (500\Omega) (200 \times 10^{-6}F) (50)}$$

$$V_{r(p.p)} = \frac{31.42V}{6.25} = 5.02V$$

$$V_r(P) = \frac{V_{r(P-P)}}{2} = \frac{5.02 \text{ V}}{2} = 2.52 \text{ V} \quad \text{Tutorial 1} \quad (2)$$



$$\text{ripple factor } (r) = \frac{V_{rms}}{V_{dc}}$$

$$r = \frac{1}{2.5\sqrt{3} RCF}$$

$$r = \frac{1}{2.5\sqrt{3} (500\pi) (200 \times 10^{-6}) (50)}$$

$$r = \frac{1}{4.33 \times 5} = \frac{1}{21.65}$$

$$r = 0.046$$

$$= 4.6 \%$$

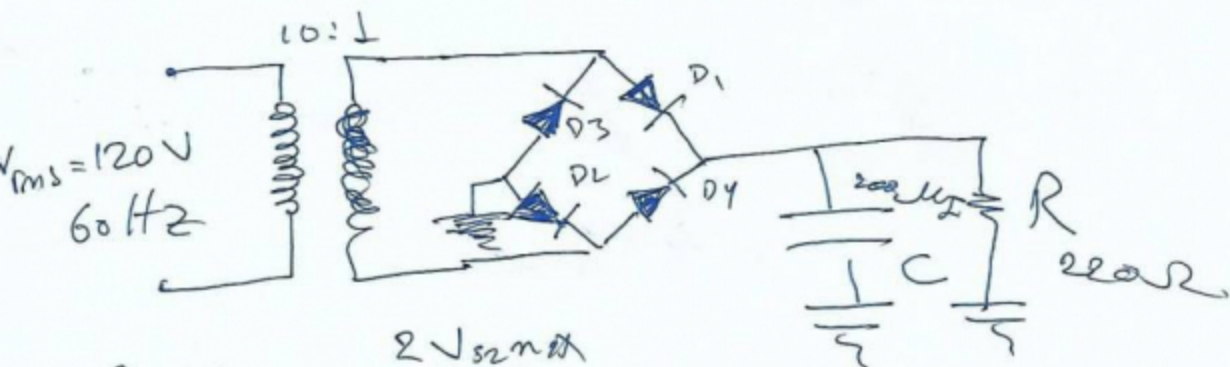
Half Rectifier w  
Filter capacit

For the fullwave rectifier circuit shown in figure

1) For only resistive load, Calculate

$V_{L\text{mean}}$ ,  $I_{L\text{mean}}$ ,  $V_{\text{rms}}$ ,  $i_{\text{rms}}$  and ripple factor

2) If you add a capacitor  $C = 200 \mu\text{F}$  with the circuit, determine  $V_{\text{r(p.p)}}$ ,  $V_{\text{dc}}$ , and ripple factor



$$1) V_{L\text{mean}} = \frac{2 V_{s2\text{max}}}{\pi}$$

$$V_{s2\text{max}} = \sqrt{2} V_{\text{rms}} = 1.414 \times 120 \text{ V} = 169.7 \text{ V}$$

$$\frac{V_{s1\text{max}}}{V_{s2\text{max}}} = \frac{n_1}{n_2}, \quad V_{s2\text{max}} = V_{s1\text{max}} \frac{n_2}{n_1}$$

$$V_{s2max} = 169.7 \times \frac{1}{10} \\ = 16.97 \text{ V}$$

Tutorial 1 (4)

$$V_{Lmin} = \frac{2 \times 16.97 \text{ V}}{\pi} = 10.8 \text{ V}$$

$$I_{Lmin} = \frac{V_{Lmin}}{R} = \frac{10.8 \text{ V}}{220 \Omega} = 49 \text{ mA}$$

$$V_{orms} = \frac{V_{s2max}}{\sqrt{2}} = \frac{16.97 \text{ V}}{\sqrt{2}} = 11.99 \text{ V} \\ \approx 12 \text{ V}$$

$$I_{orms} = \frac{V_{orms}}{R} = \frac{12 \text{ V}}{220 \Omega} = 54 \text{ mA}$$

~~Ripple Factor =  $\frac{P_{ac}}{P_{dc}}$  =  $\frac{I_{Lmin} V_{Lmin}}{I_{orms} V_{orms}}$  =  $\frac{49 \text{ mA} \times 10.8 \text{ V}}{54 \text{ mA} \times 12 \text{ V}}$~~   
~~Rectifier Efficiency =  $\frac{P_{ac}}{P_{dc}}$  =  $\frac{0.816}{0.816}$~~

$$\text{Ripple Factor} = \sqrt{\frac{V_{orms}^2 - V_{Lmin}^2}{V_{Lmin}^2}} = \sqrt{\frac{(12)^2 - (10.8)^2}{(10.8)^2}} \\ = \sqrt{\frac{144 - 116.64}{116.64}} = \sqrt{0.234} = 0.484$$

$$\text{Ripple Factor} = 48.4 \%$$

Tutorial 1 (5)

$$\textcircled{2} \quad V_{dc} = \frac{V_{s2max}}{1 + \frac{1}{4RCF}} = \frac{16.97 \text{ V}}{1 + \frac{1}{4(220\Omega)(200\mu\text{F})(60\text{Hz})}}$$

$$V_{dc} = \frac{16.97 \text{ V}}{1 + \frac{1}{1936 \times 10^{-2}}} = \frac{16.97 \text{ V}}{1 + \frac{1}{19.36}}$$

$$V_{dc} = \frac{16.97 \text{ V}}{1 + 0.051} = 16.146 \text{ V}$$

$$\text{ripple factor} = \frac{1}{4\sqrt{3}RCF}$$

$$= \frac{1}{4\sqrt{3}(220\Omega)(200\mu\text{F})(60\text{Hz})}$$

$$= \frac{1}{4\sqrt{3} * 19.36} = \frac{1}{134.13}$$

$$r = 0.0074 = 0.74\%$$

$$V_r(p.p) = \frac{V_{dc}}{2RCF} = 3. \text{ V}$$

⑥

Tutorat ①



# Medical Electronic Systems:

Tutorials 2

## Ex 6 (H-w) P. 12 Module 8

①

A Full-wave bridge rectifier supplies a load with 50V dc, 100mA using 100μF of filtering capacitor. Assume ideal diodes and  $V_s = V_{smax} \sin 314t$ , determine  $V_{r(pp)}$ ,  $V_{smax}$ , and  $V_{srms}$ .

Solution:

For full-wave rectifier with filter

$$V_{dc} = \frac{V_{max}}{1 + \frac{1}{4R_L C F}}$$

$$I_{dc} = \frac{V_{dc}}{R_L}$$

$$R_L = \frac{V_{dc}}{I_{dc}} = \frac{50V}{100mA} = 0.5k\Omega$$

$$\begin{aligned} \therefore V_{smax} &= V_{dc} \left[ 1 + \frac{1}{4R_L C F} \right] \\ &= 50V \left[ 1 + \frac{1}{4 \times 500\Omega \times 100 \times 10^{-6} F \times 50} \right] \end{aligned}$$

$$\begin{aligned} V_{smax} &= 50V \left[ 1 + \frac{1}{10} \right] \\ &= 50 \times 1.1 = 55V \end{aligned}$$

$$\sin 314t = \sin \omega t$$

$$\omega = 314$$

$$2\pi F = 314 \quad |$$

$$F = \frac{314}{2 \times 3.14} = \frac{31400}{2 \times 314}$$

$$F = \frac{100}{2} = 50 \text{ Hz}$$

Medical Electronic systems:

Module 3

Tutorial 2 (2)

$$V_r(p.p) = \frac{V_{dc}}{2R_L C F} = \frac{50 \text{ V}}{2 \times 500 \Omega \times 100 \times 10^6 \text{ F} \times 50}$$

$$V_r(p.p) = \frac{50 \text{ V}}{5} = 10 \text{ V}$$

$$V_{s,rms} = \frac{V_r(p.p)}{2\sqrt{3}} = \frac{10 \text{ V}}{2\sqrt{3}} = \frac{5 \text{ V}}{\sqrt{3}} = 2.9 \text{ V}$$

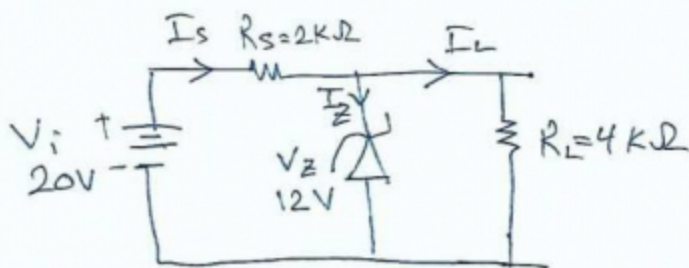
تكملة حل السؤال EX6 (H.w) في صفحة 10

# Medical Electronic Systems

③  
Tutorial 2

## Ex 3 (H-W) P. 8 Module 4

For the zener circuit below, determine  $V_L$ ,  $I_L$ ,  $V_Z$ ,  $I_Z$  and  $I_S$



Solution

الخطوة الأولى: إيجاد فولتية الحمل للتأكد  
من أن Zener في حالة ON

$$V_L = \frac{R_L}{R_L + R_S} V_i$$

$$V_L = \frac{4k\Omega}{2k\Omega + 4k\Omega} * 20V = \frac{2}{3} * 20V = \frac{40V}{3}$$

$$V_L = 13.33V$$

$$\because V_Z (12V) < V_L (13.33V)$$

$\therefore$  Zener is ON

$$\therefore V_L = V_Z = 12V$$

$$I_L = \frac{V_L}{R_L} = \frac{V_Z}{R_L} = \frac{12V}{4k\Omega} = 3mA$$

# Medical Electronic Systems

EX3 (H.W)

حل المسألة الثالثة

(4)

~~Asst. Prof.~~  
Tutorial 2

using Kirchhoff's voltage law

$$V_i - V_s - V_L = 0$$

$$V_s = V_i - V_L$$
$$= 20V - 12V$$

$$V_s = 8V$$

$$I_s = \frac{V_s}{R_s} = \frac{8V}{2k\Omega} = 4mA$$

$$I_s = I_2 + I_L \quad (\text{using current division law})$$

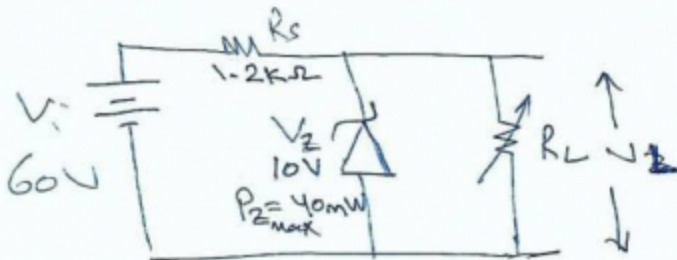
$$I_2 = I_s - I_L = 4mA - 3mA = 1mA$$

# Medical Electronic System

⑤  
Tutorial 2

## EX5 (H.W) P. 11 Module 4

For the Zener circuit below, determine the range of  $R_L$  and  $I_L$ .



Solution

Range of  $R_L$  and  $I_L$  }  
 $R_{Lmin}$   $I_{Lmin}$  }  
 $R_{Lmax}$   $I_{Lmax}$  }

$$R_{Lmin} = \frac{V_Z}{V_i - V_Z} R_S = \frac{10V}{(60-10)V} * 1.2k\Omega$$

$$R_{Lmin} = \frac{1.2k\Omega}{5} = 240\Omega$$

استناداً على قانون أوم  $R = \frac{V}{I}$

والتي هي العلاقة بين الجهد والتيار

$$\therefore R_{Lmin} = \frac{V_Z}{I_{Lmax}} \Rightarrow I_{Lmax} = \frac{V_Z}{R_{Lmin}} = \frac{10V}{240\Omega} = 41.66mA$$

$$\therefore I_{Lmax} = 41.66mA$$

# Medical Electronic Systems

©  
Tutorial 2

EX5 (H.W) P. 11 Module 4

تكملة حل السؤال

الآن لا بد  $I_{L \min}$  فان علاقة تقسم  
النسبة  $\frac{I_{L \min}}{I_{Z \max}}$  النسبة المتبقية

$$I_S = I_Z + I_L$$

لأننا نريد من النسبة  $I_{L \min}$  في حالة  $R_{L \max}$

فان النسبة  $I_{Z \max}$   $Zener$

$$\therefore I_S = I_{Z \max} + I_{L \min}$$

$$I_{L \min} = I_S - I_{Z \max}$$

$$I_S = \frac{V_S}{R_S} \Rightarrow \frac{V_S = V_i - V_Z}{R_S} = \frac{60 - 10 \text{ V}}{1.2 \text{ k}\Omega} = \frac{50 \text{ V}}{1.2 \text{ k}\Omega}$$

$$I_S = 41.66 \text{ mA}$$

$$\therefore I_{Z \max} = \frac{P_{Z \max}}{V_Z}$$

$$\begin{aligned} \therefore I_{L \min} &= 41.66 \text{ mA} - 4 \text{ mA} \\ &= 37.66 \text{ mA} \end{aligned}$$

$$\therefore I_{Z \max} = \frac{45 \text{ mW}}{10 \text{ V}} = 4 \text{ mA}$$

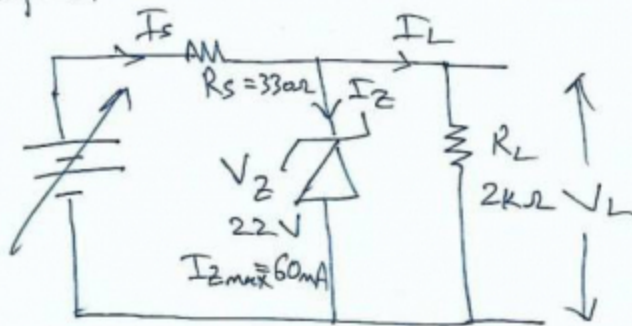
$$\therefore R_{L \max} = \frac{V_Z}{I_{L \min}} = \frac{10 \text{ V}}{37.66 \text{ mA}} \approx 265 \Omega$$

# Medical Electronic Systems

⑦  
Tutorials 2

## Ex 7 (H-W), P. 14 Module 4

Repeat with  $R_s = 330\Omega$  and  $R_L = 2k\Omega$  and  $V_Z = 22V$



Solution:

Ex 6  $V_L$  is fixed  
determine the range of  $V_i$  and  $V_s$  }  
 $V_{i\min}$      $V_{s\min}$   
 $V_{i\max}$      $V_{s\max}$

$$V_{i\min} = \frac{R_L + R_s}{R_L} V_Z = \frac{2k\Omega + 330\Omega}{2k\Omega} * 22V$$
$$= \frac{2330\Omega}{2000\Omega} * 22V = 25.63V$$

$$V_{i\min} - V_{s\min} - V_Z = 0$$

$$V_{s\min} = V_{i\min} - V_Z = 25.63 - 22V$$

$$V_{s\min} = 3.63V$$

# Medical Electronic Systems

⑧  
Tutorials 2

Ex 7 (H.W), P. 14 Module 4

\_\_\_\_\_ )  $I_L$   $I_Z$   $I_{smax}$

$$I_L = \frac{V_L}{R_L} = \frac{V_Z}{R_L} = \frac{22V}{2k\Omega} = 11mA$$

$$I_{smax} = I_{Zmax} + I_L$$

$$I_{smax} = 60mA + 11mA = 71mA$$

$$V_{smax} = I_{smax} R_s = 71mA \times 330\Omega$$

$$V_{smax} = 23.43V$$

$$V_{imax} = V_{smax} + V_Z = 23.43V + 22V$$

$$V_{imax} = 45.43V$$