



M.SC Zahraa Abbas

Lab. Laser\third stage

Experimental No.1

Yunk

**The goal of the experiment:-**

Finding the wavelength of laser light

**The devices used:**

**1--laser light**

2-Package Publisher2D

3-double slit

4-Monitor

5-ruler, mirror

6-holder

**Experience theory:-**

The intensity of the oil overlaps and the mercury of the contracts through the crack of Mardi

$I=4A^2 \left(\frac{\sin^2\beta}{\beta^2}\right) (\cos^2\gamma)$  . Where  $(\cos^2\gamma)$  is the same as the interference factor, and  $(\frac{\sin^2\beta}{\beta^2})$  the same as the humility factor Anime) until B

$$\beta = (\pi/\lambda)b \sin\theta, \gamma = (\pi/\lambda)d \sin\theta$$

$\beta, \gamma$  represent phase difference As for  $(d \sin \theta, b \sin \theta)$  represented The path difference,  $(A)$ , the amplitude of the light wave incident on the slits,  $(d)$  the distance between the slits,  $(b)$  the width of the slit and its measured  $(\theta)$  angle, and  $(r, d)$  the radii, so the minimum ends or dark fringe must be found by both factors

When the  $\gamma = \pi/2, 3\pi/2, 5\pi/2, \dots$ . The intensity becomes zero.

$$\text{Where } d \sin \theta = \lambda/2, 3\lambda/2, 5\lambda/2, \dots, d \sin \theta = (m+1/2)\lambda$$

$$M = \pm 0, 1, 2, 3, \dots$$

if it was  $(t \ll D)$  whereas  $(t)$  represent Fringe width go van

$(\tan \theta \approx \theta \approx \sin \theta)$  So the distance between two successive dark fringes is directly proportional to  $D$ , the distance between the screen and the two slits, and inversely proportional to  $d$  and directly to  $\lambda$

Subject Veton Moon of the Dark Arabs  $(m=0)$  when  $t_1 = 1/2 \cdot \lambda d/d$  authority of the lute holder and the hardship of the Qur'an  $\lambda d/d$  When  $t = (t_1 - t_2) \Lambda d/d \dots \dots (1)$   $t_2 = 3/2 \cdot \lambda d/d$

When  $\beta = \pi, 2\pi, 3\pi$  In the diffraction factor, the intensity becomes zero

$$b \sin \theta = \lambda, 2\lambda, 3\lambda, \dots, b \sin \theta = p\lambda, \quad p = \pm 1, 2, 3, \dots$$

where  $p$  represents the diffraction order of the dark fringe, i.e. when  $(p = \pm 1)$  and  $t$  where  $(L \ll D)$  is the  $L$  width of the diffraction fringe, then the width of the central diffraction fringe moving between them is equal to

$$L = 2\Lambda d/b, \lambda = Lb/2d \dots \dots \dots (2)$$

Since  $n$  here represents the order of interference, that is, when  $n = 0$ , it means the central fringe of the interference, which is in the middle, and since the width of the dark fringe ( $e$ ) is very small relative to  $D$ , the distance between two bright fringes is equal to  $(\lambda)$  why then the distance between any two dark fringes or illuminated by the interference fringes inside the central diffraction fringe is equal to a fixed amount, meaning that  $(e = \lambda)$  why, that is,  $(e = \lambda d/d)$  and that the number of dark or bright fringes is equal to

$$Z = 2d/b \dots (3)$$

### The method of work:-

- 1- Do not place the screen at a large distance from the person where the laser spot will fall Both radii .
- 2- find the width of one slit  $b$  and the distance  $d$  between them (can be measured Using the microscope).
- 3- Measure the distance from the screen to the two slits
- 4- Calculate the number of bright or dark fringes  $Z$  and correct the equation number 3.
- 5- Casually inserted a number of slits of circulation, darkened and exhausted, and escaped central diffraction.
- 6- Calculate the width of one slit for the width of the bright or dark fringes /the number of fringes (bright and dark).
- 7- Calculate the wavelength from equation No. (1)
8. The walls of the steps are 7,6,5 for a different number of slits.

9-Measure the width of the central diffraction fringe going and calculate the wavelength of the laser from equation No. (2).

10-Calculate the average wavelength from the previous steps.

11-compare between the amount of wavelength calculated from the causes of interference and inertia.