

MATLAB ARRAY Session 4

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ARRAYS AND MATRICES

An array is MATLAB's basic data structure

- Can have any number of dimensions. Most common are:

*vector: one dimension (a single row or column)

*matrix: two or more dimensions

*Scalar: matrices with only one row and one column.

-Arrays can have numbers or letters

Creating Matrices

In MATLAB, a vector is created by assigning the elements of the vector to a variable.

Row vector: In a row vector, the elements are entered with a space or a coma between the elements inside the square brackets $X=[1\ 2\ 3]$

x=[1, 2, 3] or x=[1 2 3]

Column vector: In a column vector, the elements are entered with a semicolon between the elements inside the square brackets.

$$X = \begin{bmatrix} 1; 2; 3 \end{bmatrix}$$
$$x = \begin{bmatrix} 1\\ 2\\ 3 \end{bmatrix}$$

A matrix can be created in MATLAB by typing the elements (numbers) inside square brackets[]

>> matrix [1 2 3 ;4 5 6 ;7 8 9]

```
Examples

>> A = [2 - 3 5; -1 4 5]

A =

2 -3 5

-1 4 5

>> x = [1 4 7]

X=

1 4 7

>> x = [1; 4; 7]

X=

1

4

7
```

Built-in Functions to Generate Matrices

zeros (r, c): makes matrix of r rows and c columns, all with zeros ones (r, c): makes matrix of r rows and ccolumns, all with ones rand (r, c): makes matrix of r rows and c columns, with random numbers

eye (n): makes square matrix of n rows and columns. Main diagonal (upper left to lower right) has ones, all other elements are zero magic (n) - makes a special square matrix of n rows and c columns, called Durer's matrix

Examples

>> a=zeros (3,4)

 $a = 0 \ 0 \ 0 \ 0$

- $0\ 0\ 0\ 0$
- $0 \ 0 \ 0 \ 0$

```
>> B=ones (4,3)
B=
1 1 1
1 1 1
1 1 1
1 1 1
>> c = rand (2,3)
C=
```

 $0.8147 \quad 0.1270 \quad 0.6324$

d-eye (4)

 $d = 1 \ 0 \ 0 \ 0 \\ 0 \ 1 \ 0 \ 0 \\ 0 \ 0 \ 1 \ 0 \\ 0 \ 0 \ 1 \ 0 \\ 0 \ 0 \ 1 \ 0 \\ 0 \ 0 \ 1 \ 0 \\ e = magic(4)$ $e = 16 \ 2 \ 3 \ 13 \\ 5 \ 11 \ 10 \ 8 \\ 9 \ 7 \ 6 \ 12 \\ 4 \ 14 \ 15 \ 1$

*To make a matrix filled with a particular number, multiply ones (m, n) by tha

Using a Colon : in Addressing Arrays

The colon:lets you address a range of elements

- Vector (row or column)
 - X(:) all elements
 - X(m:n)- elements m through n
- Matrix
 - A(:,n) all rows of column n
 - A(m,:) all columns of row m
 - A(:,m:n) all rows of columns m through n
 - A(m:n,:) all columns of rows m through n
 - A(m:n,p:q) columns p through q of rows m through n

A=[2,4,10,13;16,3,7,18;8,4,9,25;3,12,15,17] A=

2	4	10	13
16	3	7	18
8	4	9	25
3	12	15	17

A(:,3)=	:				
ANS =					
10					
	7				
	9				
	15				
A(3,:)					
ANS=					
:	8 4	9	25		
A(:,2:3)				
ANS=					
	4	1()		
	3	7			
	4	9			
	12	15	5		
A(2:3,1:3)					
ANS=					
	16	3	7		
	8	4	9		

Addition and Subtraction

When adding/ subtracting two arrays A and B, MATLAB adds/subtracts the corresponding elements (element wise addition/subtraction)

When add/subtract a scalar to an array, MATLAB adds/ subtracts the scalar to every element of the array EXAMPLE

For
$$A = \begin{bmatrix} A_{11} & A_{12} & A_{13} \\ A_{21} & A_{22} & A_{23} \end{bmatrix}$$
 and $B = \begin{bmatrix} B_{11} & B_{12} & B_{13} \\ B_{21} & B_{22} & B_{23} \end{bmatrix}$
 $A + B = \begin{bmatrix} A_{11} + B_{11} & A_{12} + B_{12} & A_{13} + B_{13} \\ A_{21} + B_{21} & A_{22} + B_{22} & A_{23} + B_{23} \end{bmatrix}$
 $A - B = \begin{bmatrix} A_{11} - B_{11} & A_{12} - B_{12} & A_{13} - B_{13} \\ A_{21} - B_{21} & A_{22} - B_{22} & A_{23} - B_{23} \end{bmatrix}$
 $A + c = \begin{bmatrix} A_{11} + c & A_{12} + c & A_{13} + c \\ A_{21} + c & A_{22} + c & A_{23} + c \end{bmatrix}$
 $A - c = \begin{bmatrix} A_{11} - c & A_{12} - c & A_{13} - c \\ A_{21} - c & A_{22} - c & A_{23} - c \end{bmatrix}$

Matrix Multiplication

There are two ways of multiplying matrices - matrix multiplication and elementwise multiplication

- MATLAB denotes this with asterisk (*)
- Number of columns in left matrix must be same as number of rows

in right matrix		>>C=/	A*B			
A=			C=	15	18	12
3	3	1		17	19	13
3	2	2		13	14	12
1	1	3	>>D=]	B*A		
B=			D=	19	16	12
3	3	1		11	9	11
1	2	2		21	18	18
3	3	3				

2	0	3		1	2	3
A =4	5	6	B=	4	5	6
7	1	9		7	8	9

A=

	2	0	3		
	4	5	6		
	7	1	9		
B=					
	1	2	3		
	4	5	6		
	7	8	9		
Mat=					
	2	0	9		
	16	25	36		
	49	8	81		
Mat1=					
	4	0	9		
	16	25	36		
	49	1	81		