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## علمي المستخرل الجاهعهـ

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## Lecture . 3

## Real Gas

A real gas is defined as a gas that does not obey gas laws at all standard pressure and temperature conditions. When the gas becomes massive and voluminous it deviates from its ideal behaviour. Real gases have velocity, volume and mass. When they are cooled to their boiling point, they liquefy.

Oxygen, hydrogen, carbon dioxide, helium, and other gases are examples of real gas. Real gases exhibit modest attraction and repulsive forces between particles, but ideal gases do not. Real gas particles have a volume, but ideal gas particles do not. While the particles of an ideal gas are assumed to occupy no volume and experience no interparticle attractions, the particles of a real gas do have finite volumes and do attract one another.

## How do Real gases move

The gas particles have negligible volume. The gas particles are equally sized and do not have intermolecular forces (attraction or repulsion) with other gas particles so the gas particles move randomly in agreement with Newton's Laws of Motion. The gas particles have perfect elastic collisions with no energy loss.

## Ideal Gas

A gas is made of molecules that move around with random motion. In the ideal gas, the molecules may collide but they have no tendency to stick together or repel each other.

In reality, there is a slight force of attraction between gas molecules but this is so small that gas laws formulated for an ideal gas work quite well for a real gas.


Ideal Gas


Non-Ideal Gas

## Equation of State

Any equation that relates the pressure, temperature and volume of a substance is called an equation of state. Property relations that involve other properties of a substance at equilibrium states are also referred to as equations of state. There are several equations of state, some simple and others very complex. The simplest and best known equation of state for substances in the gas phase is the ideal gas equation of state. This equation predicts the (P-V-T) behavior of a gas quite accurately within some properly selected region. The ideal gas equation of state is expressed as:

$$
P V=\mathrm{n} R T
$$

## or $\mathrm{PV}=R T$ (in terms of specific volume)

where R is the gas constant, which has a different value for each gas. The equation of state can also be expressed in terms of the number of moles instead of the mass as follows:

$$
P V=N R o T
$$

where N is the number of moles, and $R o$ is the universal gas constant which has a constant value for all gases:

$$
\begin{gathered}
R o=8.314 \mathrm{~kJ} / \mathrm{kmol} . \mathrm{K} \\
R o=\mathbf{1 5 4 5 . 3 7 \mathrm { ft } . \mathrm { lbf } / \mathrm { kmol } . \mathrm { R }} \\
R=R o / M \text { and } M=m N
\end{gathered}
$$

where M is the molar mass (also called molecular weight) of the gas.

For a constant mass, the properties of an ideal gas at two different states are related to each other by:

$$
P_{1} V_{1} / T_{1}=P_{2} V_{2} / T_{2}
$$

Note: in these equations T is the absolute temperature (i.e. substituted in Kelvin or Rankine).

Boyle's law states that the pressure of a given mass of an ideal gas is inversely proportional to its volume at a constant temperature. It is expressed as:

$$
P V=C \text { or } P_{1} V_{1}=P_{2} V_{2}
$$

Charles's law states that the volume of an ideal gas at constant pressure is directly proportional to the absolute temperature. It is expressed as:

$$
V T=C \text { or } V_{1} T_{1}=V_{2} T_{2}
$$

Gay-Lussac's law states that, for a given mass and constant volume of an ideal gas, the pressure exerted on the sides of its container is directly proportional to its absolute temperature. It is expressed as:

$$
P T=C \text { or } P_{1} T_{1}=P_{2} T_{2}
$$

Difference between Ideal gas and Real gas

| Ideal gas has no definite volume | Real gas has definite volume |
| :---: | :---: |
| It always Obey PV $=n$ RT | It always Obeys $\mathrm{p}+((\mathrm{n} 2 \mathrm{a}) / \mathrm{V} 2)(\mathrm{V}-\mathrm{n} \mathrm{b})=$ $n$ RT modified form of $\mathrm{PV}=\mathrm{nRT}$ |
| particles of ideal gas have Elastic collision between molecules | particles of real gas have Non-elastic collisions between molecules |
| intermolecular attraction forces do not present between molecules | Intermolecular attraction forces present between molecules of gas. |
| It is a hypothetical gas that do not really exist in the environment. | Not a hypothetical gas that really exist in our environment. |
| Exist a High pressure | As compared to Ideal gas, The pressure is less. |
| Independent of factors like temperature, pressure and other gases. | Interacts with other gas and highly dependent. |

## Example1

An amount of gas has a pressure of 350 KPa , a volume of $0.03 \mathrm{~m}^{3}$ and a temperature of $35^{\circ} \mathrm{C}$. If $\mathrm{R}=0.29 \mathrm{~kJ} / \mathrm{kg} . \mathrm{K}$, calculate the mass of the gas and the final temperature if the final pressure is 1.05 MPa and the volume remains constant?

## Solution:

The absolute temperature: $T_{1}=35+273=308 \mathrm{~K}$ Applying the equation of state for the initial conditions: $\quad P_{1} V_{1}=m R T_{1}$
$=350 \times 0.03=m \times 0.29 \times 308 \rightarrow m=350 \times 0.03 /(0.29 \times 308)$

$$
m=0.12 \mathrm{~kg}
$$

Applying the equation of state between two conditions at constant volume:

$$
\begin{aligned}
& P_{1} / T_{1}=P_{2} / T_{2} \\
& =350 / 308=\left(1.05 \times 10^{3} / T_{2}\right) \rightarrow T_{2}=\left(1.05 \times 10^{3} \times 308\right) / 350
\end{aligned}
$$

$$
T_{2}=924 \mathrm{~K}
$$

## Example 2

A tank has a volume of $0.5 \mathrm{~m}^{3}$ and contains 10 kg of an ideal gas having a molecular weight of 24 . The temperature is $25^{\circ} \mathrm{C}$. What is the pressure of the gas?

## Solution:

The absolute temperature:
$T=25+273=298 \mathrm{~K}$
$R=R_{o} / M=(8.314 / 24)=0.35 \mathrm{~kJ} / \mathrm{kg} . \mathrm{K}$
Applying the equation of state:
$P V=m R T$
$P \times 0.5=10 \times 0.35 \times 298 \rightarrow \quad P=(10 \times 0.35 \times 298) / 0.5$
$P=2086 \mathrm{kPa}$.

## Example 3

5 moles of nitrogen gas is in a 100 liter fixed cylinder at 300 Kelvin. What is the pressure of the gas?

## Solution:

- $P=$ ?
- $V=100 \mathrm{~L}$
- $n=5$ moles
- $R=0.08205 \mathrm{~L} \cdot \mathrm{~atm} / \mathrm{mole} \cdot \mathrm{K}$
- $T=300 \mathrm{~K}$

Alright, so let's begin with formula $P V=n R T$ and change that appropriately so it now is $P=n R T / V$. Now we can plug in the values to determine the pressure. We get:

$$
\begin{aligned}
& P=\frac{(5 \mathrm{moles})\left(0.08205 \frac{L \cdot a t m}{m a l \cdot K}\right)(300 \mathrm{~K})}{100 \mathrm{~L}} \\
& P \approx 1.23 \mathrm{~atm}
\end{aligned}
$$

## H.W

What is the molar mass of a gas if 0.281 g of the gas occupies a volume of 125 mL at a temperature $126^{\circ} \mathrm{C}$ and a pressure of 777 torr?

